

Copy/paste
data col
- or -
Drag/drop
text file
- onto -
textarea

Number of
suspended
data(NOT
included):

0

Use lower tail data?
Check box for yes.

n_c + n_s = n

Weibull	LS	ML
Scale n	<input type="text"/>	<input type="text"/>
Shape α	<input type="text"/>	<input type="text"/>
MSE $\sum d^2/n_c$	<input type="text"/>	<input type="text"/>
mean	<input type="text"/>	<input type="text"/>
CV	<input type="text"/>	<input type="text"/>
5%tile R_{05}	<input type="text"/>	<input type="text"/>
$\Omega(R_{05} 75\%)$	<input type="text"/>	<input type="text"/>

2-parameter Weibull CDF(x) = $1 - e^{-(x/\eta)^\alpha}$

LS uses the method of Least Squares to estimate the 2 parameters of a weibull distribution of a complete data set or low tail fit.
Resistance is regressed on median rank.
See ASTM D5457 Section X2, (X2.5), (X2.6)

ML uses the method of Maximum Likelihood to estimate the 2 parameters of a Weibull distribution of a complete data set or low tail fit.
See ASTM D5457 Section X2, (X2.2), (X2.3)

Parameter estimation for lower tail data require minimum failed observations. For sample sizes of $n = 600$ or less, $60 = n_c$ with the suspended value $r_s = r[60]$. For sample sizes of $600 < n$, $(0.1 \cdot n) = n_c$ with the suspended value $r_s = r[0.1 \cdot n]$.
See ASTM D5457 Sections A1.2.2, X2

MSE $\sum d^2/n_c$ is the Mean Squared Error. MSE measures the average of the squares of the errors; that is, the difference between the estimated resistance and observed data.

$\Omega(R_{05}|75\%)$ is a data confidence factor on R_{05} , the fifth percentile, with 75% confidence. See ASTM D5457 Section A1.5

Copy/paste data column or drag/drop text file onto the textarea.
Program parses, ranks, analyzes, & graphs (Google Charts API) the data.

wgraph.html developed by Joe Murphy, 25 February 2018, using FireFox ESR 52.6.0 (32-bit). wgraph.html freely available for personal use.

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```

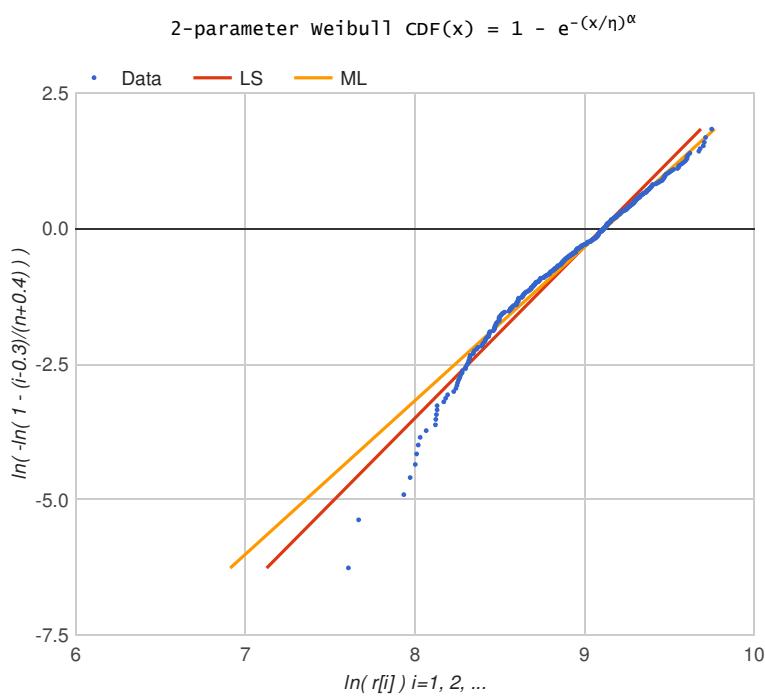
2014.284
2139.063
2793.259
2898.43
2987.557
  
```

Number of suspended data(NOT included):

Use lower tail data?
 Check box for yes.

n_c +n_s =n

Weibull	LS	ML
Scale n	9.016e+3	9.140e+3
Shape α	3.161	2.833
MSE $\Sigma d^2/n_c$	2.112e+5	7.270e+4
mean	8.070e+3	8.142e+3
CV	0.3468	0.383
5%tile R ₀₅	3.524e+3	3.204e+3
$\Omega(R_{05} 75\%)$	0.949	0.944



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```

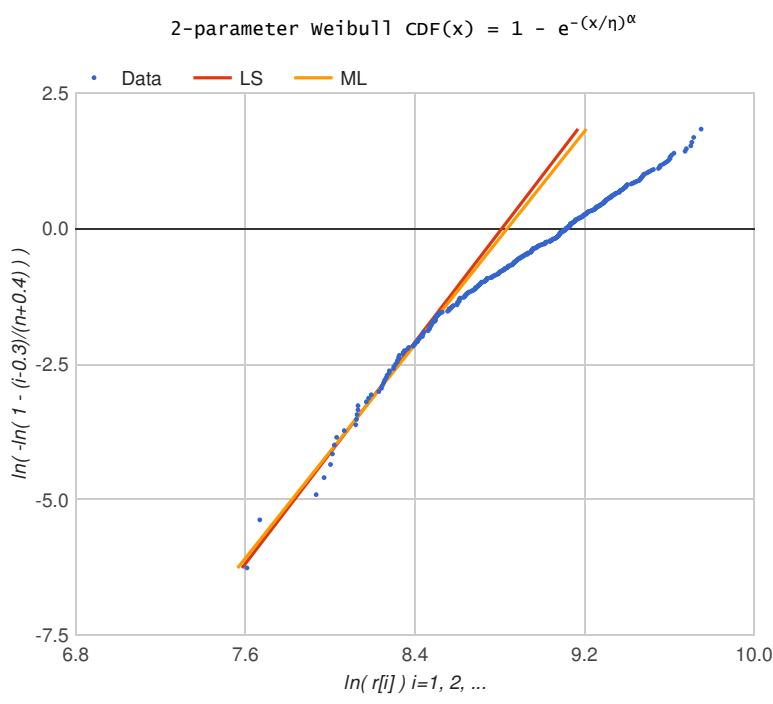
2014.284
2139.063
2793.259
2898.43
2987.557
  
```

Number of suspended data(NOT included):

Use lower tail data?
 Check box for yes.

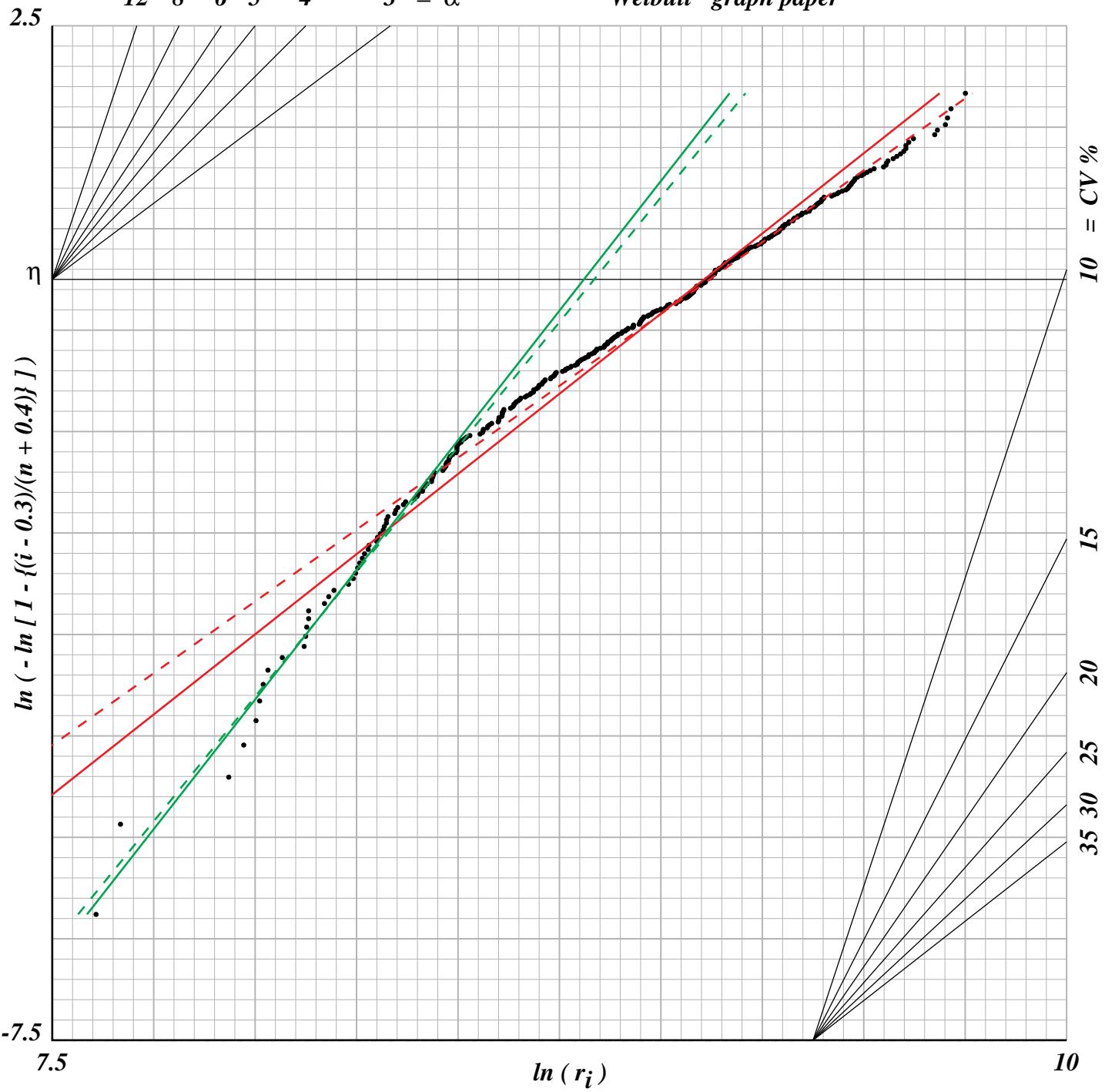
n_c	<input type="text" value="60"/>	$+n_s$	<input type="text" value="306"/>	$=n$	<input type="text" value="366"/>
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Weibull	LS	ML
Scale η	<input type="text" value="6.703e+3"/>	<input type="text" value="6.874e+3"/>
Shape α	<input type="text" value="5.111"/>	<input type="text" value="4.921"/>
MSE $\sum d^2/n_c$	<input type="text" value="5.542e+3"/>	<input type="text" value="6.098e+3"/>
mean	<input type="text" value="6.162e+3"/>	<input type="text" value="6.306e+3"/>
CV	<input type="text" value="0.2245"/>	<input type="text" value="0.232"/>
5%tile R_{05}	<input type="text" value="3.749e+3"/>	<input type="text" value="3.759e+3"/>
$\Omega(R_{05} 75\%)$	<input type="text" value="0.968"/>	<input type="text" value="0.967"/>



12 8 6 5 4 3 = α

Weibull "graph paper"



Red -- $n_c = n = 366$, complete data set, $n_s = 0$

Green -- $n_c = 60$, suspend upper 306 data, $n_s = 306$

2p Weibull statistics of data from file MOR_2X10.DAT

N = 366 observed data

Nc	%D	R/r05	CV	Shape	Scale	$\Omega(75)$	r05	AveSumSqu
366	100	2.290	.347	3.161	9.016E+03	0.949	3.524E+03	LS 2.112E+05
366	100	2.542	.383	2.833	9.140E+03	0.944	3.204E+03	ML 7.271E+04
329	90	2.215	.335	3.286	8.856E+03	0.951	3.587E+03	LS 1.470E+05
329	90	2.507	.378	2.873	9.109E+03	0.945	3.239E+03	ML 6.364E+04
292	80	2.155	.325	3.395	8.705E+03	0.953	3.629E+03	LS 1.329E+05
292	80	2.480	.374	2.904	9.085E+03	0.945	3.267E+03	ML 6.846E+04
256	70	2.092	.315	3.521	8.527E+03	0.955	3.668E+03	LS 1.204E+05
256	70	2.390	.362	3.018	8.966E+03	0.947	3.350E+03	ML 6.801E+04
219	60	2.021	.302	3.684	8.298E+03	0.956	3.705E+03	LS 1.077E+05
219	60	2.406	.364	2.996	8.989E+03	0.947	3.336E+03	ML 7.972E+04
183	50	1.929	.285	3.928	7.972E+03	0.959	3.743E+03	LS 6.816E+04
183	50	2.234	.338	3.253	8.642E+03	0.951	3.468E+03	ML 5.605E+04
146	40	1.837	.267	4.223	7.611E+03	0.962	3.767E+03	LS 4.240E+04
146	40	2.163	.327	3.379	8.472E+03	0.953	3.517E+03	ML 5.412E+04
109	30	1.742	.247	4.605	7.193E+03	0.965	3.774E+03	LS 1.761E+04
109	30	1.926	.285	3.936	7.796E+03	0.959	3.666E+03	ML 2.306E+04
73	20	1.658	.228	5.027	6.781E+03	0.968	3.755E+03	LS 5.789E+03
73	20	1.801	.260	4.358	7.358E+03	0.963	3.722E+03	ML 1.420E+04
60	16	1.644	.225	5.111	6.703E+03	0.968	3.749E+03	LS 5.542E+03
60	16	1.677	.232	4.921	6.875E+03	0.967	3.759E+03	ML 6.099E+03

For instructions Run 2weibull without any arguments

Nc is number of complete data

%D is percent of distribution with complete data
 (the rest is treated as suspended data)
 (minimum is 60 complete values!)

\bar{R} is average of fitted 2 parameter Weibull distribution

r05 is fifth percentile of fitted 2p Weibull distribution

CV is coefficient of variation of 2p Weibull distribution

Shape is Weibull shape parameter ...

Scale is Weibull scale parameter ...

Ω is the data (75%) confidence factor (see ASTM D-5457)

LS is AveSumSquares of a straight line on Weibull graph (Weibull space)

ML is AveSumSquares of maximum likelihood estimation (real space)